

Fig. 2. Dynamic chart of supercritical injection. Yellow-initial fluid, blue-vapor bubble, red-plasma, violet-supercritical fluid and two-phase fluid.

4mm and length $l=10-25mm$, initially filled with a liquid fuel. The exhaust orifice is drilled in the second electrode on the other end of the channel. This vent may have the same or a smaller diameter than the channel. The scheme is understandable from Fig. 2.

The power supply is synchronized with external trigger and produces the maximum voltage up to $U_{max}=15kV$ at current of $I<150A$. Energy deposition is limited to $E=200J/pulse$. The diagnostics include: voltage, current, emission sensors, optical emission spectroscopy, image acquisition camera, line-scan streak camera, schlieren system, sensors of transparency, etc. The last ones are arranged as diode laser sheets traversing the test channel and exhaust jet to confirm achieving of the critical conditions by visual observation of supercritical opalescence of the fluid.

A choice of working fluid is based on following criteria: (1) it should be one of actual fuels; (2) providing the easiest way to supercritical transition; (3) its electrical conductivity should be controllable. In this particular work a mixture of $CH_3OH + 10\% KOH$ is utilized for the tests [9]. The specific electrical conductivity is measured as high as $\sigma=0.05S/m$ at low voltage (2volts) and $\sigma=2S/m$ at high voltage ($>5kV/cm$).

3. PLASMA AND FLUID DYNAMICS

Figure 2 imagines dynamic of fluid in test cell: initial stage consists of heating of the liquid by electrical current. If mention a uniform distribution of the electrical parameters along the test cell, the temperature dynamics can be described by equation (1), where W is electrical power, σ is electrical conductivity, U is voltage.

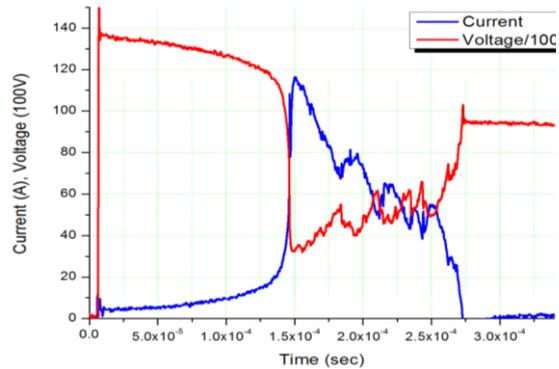


Fig. 3. Typical current-voltage oscillograms for $l=22mm$.

$$\frac{\partial T}{\partial t} = \frac{W}{c \times m} = \frac{\sigma}{c \times \rho} \times \left(\frac{U}{l}\right)^2, \quad (1)$$

In this configuration the temperature first achieves a value where the pressure of saturated vapor is equal to the static pressure at a location nearby one of electrodes. An initial vapor bubble is generated at this point with sequential electrical breakdown of some portion of the test cell, then along the entire cell. The plasma formed pushes the fluid out, increasing the pressure due to electrical discharge power dissipation. The dynamics of the rest of the process in channel with cross-section A is determined by the equation (2):

$$m \times \frac{\partial^2 x}{\partial t^2} = p(t) \times A, \quad (2)$$

At some combination of test parameters the supercritical transition is observed in the channel. The oscillograms in Fig. 3 show the voltage-current data that allows calculating a corresponding power, energy deposition, fluid resistance, temperature, and pressure. An average temperature achieves the supercritical value already at $t<200\mu s$. An installation of extra microelectrodes gives the data on a local value of fluid electrical conductivity: it varies from $\sigma=2S/m$ at initial conditions to $\sigma=10^3S/m$ in the phase of high-current plasma.

At least two interfaces were observed inside of the test cell: between plasma and a dark bubble of supercritical fluid, and between the bubble and the initial fluid. Tests were performed to explore dynamics of those interfaces by two techniques:

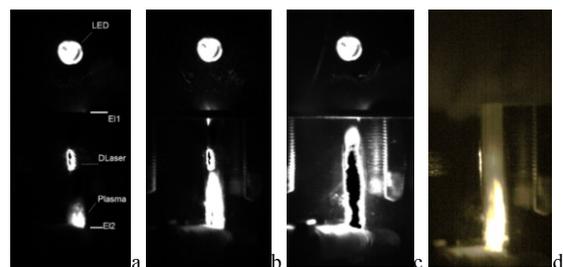


Fig. 4. Movement of the bubble's interface along the test channel. Sequence of images, delay 100, 120, 140 μs . Exposure 12 μs .

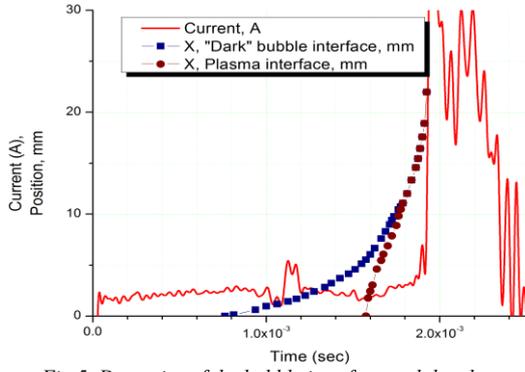


Fig.5. Dynamics of the bubble interface and the plasma position by line-scan camera.

sensors of transparency and fast streak camera. In the first case a laser beam crossed the test cell and its intensity is recorded same way as the electrical parameters of the run. The second sensor of transparency (LED) was installed above the test cell to determine the state of what was initially liquid at the exit of the channel. Figure 4 demonstrates the camera images of a slow movement of the plasma interface inside the channel. The last frame in Fig.4d illustrates the picture after main breakdown at $t > 200 \mu\text{s}$. It can be seen that the transmission of the LED light through the medium is essentially zero. This phenomenon may be ascribed to nucleation/condensation of the supercritical fluid phase after achieving the supercritical condition. The laser beam is also invisible through the test cell because of the critical opalescence of fluid after reverse transition from the supercritical state.

The dynamics of the bubble interface and the plasma position was inferred from the line-scan camera images. An example is shown in Fig.5 together with a synchronized graph of the electrical current. Based on the equations of the interface movement (2), the pressure in the channel has been calculated. Neglecting evaporation of the fluid interface, such formal approach gives a pressure value of tens of Bar, up to $P_{\text{max}}=90$ Bar in particular case of slow mode (plasma initiated at bottom electrode).

4. ANALYSIS OF EMISSION SPECTRA

The optical spectra acquisition and processing were performed for preliminary evaluation of the plasma parameters. Princeton Instruments Pixis 256 camera, and spectrograph SpectraPro-300i by Acton Research Corp. were utilized for this purpose; the half-width of spectral instrument functions was less than $\text{HWF}=0.6\text{nm}$. The spectrum consists of a strong continuum and a few spectral emission and absorption lines. The most intensive lines are H_{α} (656nm), atomic

oxygen triplet lines O 777nm (3p5P-3s5S0) and 844nm (3p3P-3s3S0). Potassium absorption lines are easily detectable at 767 and 770nm.

The H_{α} line of Balmer series is strongly broadened. Generally, three basic mechanisms could be responsible for that: (1) Stark broadening; (2) Van der Waals (VdW) broadening; and (3) Doppler broadening. Stark broadening occurs because of the electrical field perturbation due to interaction with charged particles (mostly electrons):

$$\Delta\lambda_{1/2} = 1.25 \times 10^{-9} \times C \times N_e^{2/3}, \quad (3)$$

with the electron density N_e and the half width parameter C . This parameter is calculated numerically for different gas temperatures and electron densities. One of the most recent datasets on H_{α} line is given by Gigosos and also discussed by Griem at high values of electron density [10-11]. In our case, when H_{α} line is extremely wide (half-width $\text{FWHM}=10 \div 40\text{nm}$), the electron density could be estimated by extrapolation of dataset. Based on relative intensity of atomic oxygen lines and spectral continuum the gas (or fluid) temperature may be considered to be in a range $T_g=3-5\text{kK}$. The pressure should be too high to explain the H_{α} broadening by VdW mechanism in gas. At the same time the supercritical fluid possesses higher density than gaseous media at the same pressure, thus the VdW mechanism might not be neglected at further analysis. The Doppler broadening is definitely less than the first two effects in this particular case. It should be noted that such a wide H_{α} line was previously observed in underwater electrical discharges and in some other liquids, see [12], for example.

Spectral profiles of H_{α} line were taken from the plasma plume (zone 1) outside of test cell and from the supercritical plasma in test cell (zone 2). In the latter case the intensity of radiation was order of magnitude higher than outside of the

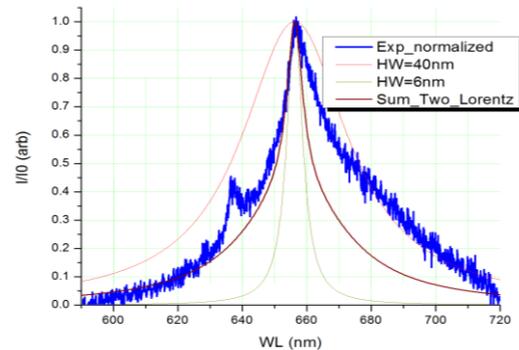


Fig.6. Spectral fitting of normalized experimental H_{α} line, taken from zone inside of discharge channel.

channel. The experimental profiles cannot be satisfactory fitted with a single calculated Lorentz shape. The current hypothesis is as follows: the radiating medium is strongly inhomogeneous and the light emission is collected from two (or a few more) areas with extremely high variation of parameters, particularly – molecular and electron density. They could be vapor phase and supercritical fluid, for example. Figure 6 presents the graphs where the experimental profile is fitted by sum of two Lorentz's profiles with rather dissimilar half width. The formal approach gives the result shown in Table 1.

Table 1. Electron density due to $H\alpha$ Stark broadening.

	Low N_e , cm^{-3}	High N_e , cm^{-3}
Zone 1	2.5×10^{17}	6×10^{18}
Zone 2	$\sim 10^{18}$	$> 2 \times 10^{19}$

A local value of fluid electrical conductivity was measured as low as $\sigma = 10^2 - 10^3 (\text{Ohm} \times \text{m})^{-1}$ in the phase of high-current plasma. With some assumptions the molecular number density can be estimated based on electrical conductivity and electron density data as follows [13]:

$$\text{electrical conductivity } \sigma = e \times \mu_e \times n_e = \frac{e^2 \times n_e}{m \times \nu_m};$$

$$\text{collision frequency } \nu_m = N_m \times A \times \bar{v}_e;$$

where A – molecular cross-section, \bar{v}_e – average electrons' velocity. The molecular number density, calculated by this way, is approximately $N_m = 10^{22} \text{cm}^{-3}$. The supercritical condition of the fluid should be considered to explain this high value of density.

5. SUMMARY

A specific objective of this work was an experimental study of dynamics of media, phase transformation, and measurements of plasma parameters during high-voltage electric discharge generation in transient supercritical fluid. Calculations based on the measured electrical parameters of fluid and on incompressible fluid model indicate that, for some combination of test parameters, the pressure ($P > 80 \text{Bar}$) and the temperature ($T > 513 \text{K}$) in the test cell exceed the characteristic values for supercritical condition. The electron density $N_e > 2.5 \times 10^{19} \text{cm}^{-3}$ in plasma was measured by Stark broadening of hydrogen line H_α (656nm) of Balmer series. To reconcile these data with the electrical conductivity measured in the test cell, the molecular number density must be higher than $N_m = 10^{22} \text{cm}^{-3}$. This suggests a conclusion that the technique applied

allows transition of liquid media to the state of supercritical fluid, with subsequent formation of "supercritical" plasma.

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